The Agony and the Ecstasy: Galaxy Clusters in the Data Rich Era

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Evrard et al 2002



I will be finished when I am done!



Michaelangelo, when will you be finished ?!



The ecstasy: <u>new physics</u>!

Use cluster signatures (and other probes) to convincingly demonstrate a non-trivial dark energy equation of state, $w \neq -1$.



The agony: <u>systematics</u>!

- I. 3D halo mass is not observable need accurate **form** of observable-mass scaling relations, p(M_{obs}, z_{obs} | M,z)
- 2. We observe on the sky, not in real-space must model cluster-halo selection function including projection effects along Gpc sight-lines
- 3. Require theory to map counts to cosmological parameters N-body simulation calibrations need to include baryons

To de als designations

4. Cluster redshifts ($\geq 10k$ of them!) are needed require mapping from photometric to spectroscopic z's

Some definitions

I. Halo -

a self-bound, quasi-equilibrium cosmic structure comprised of multiple interacting fluids (dark matter, multi-phase baryons, and radiation)

2. Cluster -

an observable manifestation of a massive halo containing multiple, bright galaxies

sky surface density characteristic mass and temperature

values obtained by ranking halos in thin redshift shells, identifying scales reached at fixed dN/ dz (# / sq deg / unit z)



Evrard et al 2002





massive halo phenomenology: observable signal likelihoods

optical/lensing sub-mm

X-ray

halo of mass M redshift z

"Astrophysics for Dummies"

I. Dimensional analysis => mean relations are power-laws

2. Central Limit Theorem => deviations are log-normal

power-law mean + log-normal covariance model for signals

For i^{th} signal, mean behavior of $s_i = \ln(S_i)$ has slope m_i in $\ln M$. For N such signals,

$$\overline{\mathbf{s}}(\mu, z) = \mathbf{m}(z)\mu + \mathbf{b}(z)$$

 $\mu = \ln M$

and the halo signal likelihood is

$$p(\mathbf{s} \mid \mu, z) = \frac{1}{(2\pi)^{N/2} |\Psi|^{1/2}} \exp[-\frac{1}{2}(\mathbf{s} - \bar{\mathbf{s}})' \Psi^{-1}(\mathbf{s} - \bar{\mathbf{s}})]$$

with covariance

$$\Psi_{ij} = \left\langle \left(s_i - \overline{s}_i(\mu, z) \right) \left(s_j - \overline{s}_j(\mu, z) \right) \right\rangle$$

local approach to the signal space density

Take a (locally) power-law mass function

$$n(\mu) = A \exp(-\alpha \mu)$$
; $\alpha = \alpha(\mu, z)$

and convolve it with the signal–mass relation to find the *signal space density*

$$n(\mathbf{s}) = \frac{A\Sigma}{(2\pi)^{(N-1)/2} |\Psi|^{1/2}} \exp\left[-\frac{1}{2} \left(\mathbf{s}' \Psi^{-1} \mathbf{s} - \frac{\overline{\mu}^2(\mathbf{s})}{\Sigma^2}\right)\right]$$

with mean mass

$$\overline{\mu}(\mathbf{s}) = \frac{\mathbf{m}' \Psi^{-1} \mathbf{s}}{\mathbf{m}' \Psi^{-1} \mathbf{m}} - \alpha \Sigma^2$$

and mass variance

$$\Sigma^2 = \left(\mathbf{m}' \Psi^{-1} \mathbf{m}\right)^{-1}$$

signal selection effects

Select a halo sample based on some signal, s_1 . Then the {mass, s_2 } likelihood is Gaussian with covariance

$$\tilde{\Psi} = \begin{bmatrix} \sigma_{21}^{2} & \tilde{r}\sigma_{21}\sigma_{\mu 1} \\ \tilde{r}\sigma_{21}\sigma_{\mu 1} & \sigma_{\mu 1}^{2} \end{bmatrix} \qquad \begin{array}{l} \sigma_{21}^{2} = m_{2}^{2} \left(\sigma_{\mu 1}^{2} + \sigma_{\mu 2}^{2} - 2r\sigma_{\mu 1}\sigma_{\mu 2}\right) \\ \sigma_{\mu i} = \sigma_{i} / m_{i} \\ \text{ass scatter} \\ \end{array}$$

$$\tilde{r} = \frac{\left(\sigma_{\mu 1} / \sigma_{\mu 2} - r\right)}{\sqrt{1 - r^{2} + \left(\sigma_{\mu 1} / \sigma_{\mu 2} - r\right)^{2}}}$$

and the s_2 -mass scaling for s_1 -binned samples may be biased

$$\overline{s}_{2}(s_{1}) = m_{2} \Big(\overline{\mu}(s_{1}) + \alpha(\overline{\mu}, z) r \sigma_{\mu 1} \sigma_{\mu 2} \Big)$$
$$d\overline{s}_{2} / d\overline{\mu} = m_{2} \Big(1 + (r \sigma_{\mu 1} \sigma_{\mu 2}) \partial \alpha(\overline{\mu}, z) / \partial \mu \Big)$$

collaborators and topics



Fall 2009: Jeff McMahon (SPT) joins Physics Winter 2010: Chris Miller (SDSS C4) joins Astronomy

SDSS maxbcg analysis

SDSS maxbcg cluster sample studies



extension to r–i pushes to higher z N_{gals}=79, z=0.35 ~13,000 clusters, \geq 10 galaxies 0.1<z<0.3 based on excess counts of *g*-*r* red sequence galaxies

Koester et al 2007a,b

follow-up studies:

★ stacked weak lensing masses Johnston etal 2007; Sheldon etal 2007

★ velocity dispersion—richness Becker et al 2007

★ X-ray luminosity—richness Rykoff et al 2008a

- * X-ray luminosity–lensing mass
- ★ improved richness estimator_{2008a}
- ★ scatter in mass-richness et al 2008b
- * cosmological constraints et al 2009

mean Lx-Mass scaling

17000 clusters, $N_{gal} \ge 9$ M_{200} from weak lensing, L_X from RASS (stacked N_{gal} bins)



Johston et al 2007 Rykoff et al 2008b

Good agreement between X-ray and optically selected samples slope = 1.6 ± 0.1

potential **tilt** due to optical–X-ray correlation and running of MF slope

Lx variance at fixed optical richness





first measurement of property covariance for clusters

Rozo et al 2008b



scatter in In(mass) at fixed Ngal

From SDSS-RASS:

- dn(N₂₀₀)/dN₂₀₀
- L_X–N₂₀₀ scaling slope, norm, scatter
- M₂₀₀–N₂₀₀ scaling slope, norm missing:

 $M_{200}\mathchar`-N_{200}$ scatter $M_{200},\,L_X\mid N_{200}$ correlation

Extra information: 400d survey L_X – M₅₀₀ scaling slope, norm, scatter

Vikhlinin et al 2008



what does a large covariance in mass and Lx mean?





OR N₂₀₀ is a better mass proxy <u>and</u> N₂₀₀ and L_X are anticorrelated at fixed halo mass

ratio of rms mass variance (Lx / Ngal)

cosmological constraints from maxbcg counts and lensing

COSMOLOGICAL CONSTRAINTS FROM THE SDSS MAXBCG CLUSTER CATALOG

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ABSTRACT

We use the abundance and weak lensing mass measurements of the SDSS maxBCG cluster catalog to simultaneously constrain cosmology and the richness-mass relation of the clusters. Assuming a flat Λ CDM cosmology, we find $\sigma_8(\Omega_m/0.25)^{0.41} = 0.832 \pm 0.033$ after marginalization over all systematics. In common with previous studies, our error budget is dominated by systematic uncertainties, the primary two being the absolute mass scale of the weak lensing masses of the maxBCG clusters, and uncertainty in the scatter of the richness-mass relation. Our constraints are fully consistent with the WMAP five-year data, and in a joint analysis we find $\sigma_8 = 0.807 \pm 0.020$ and $\Omega_m = 0.265 \pm 0.016$, an improvement of nearly a factor of two relative to WMAP5 alone. Our results are also in excellent agreement with and comparable in precision to the latest cosmological constraints from X-ray cluster abundances. The remarkable consistency among these results demonstrates that cluster abundance constraints are not only tight but also robust, and highlight the power of optically-selected cluster samples to produce precision constraints on cosmological parameters.

cosmological constraints from maxbcg counts and lensing

Rozo et al 2009



comparison with X-ray constraints

Rozo et al 2009



SDSS analysis summary

- ★ red sequence finders identify ~same population as X-rays
- * stacked lensing masses + X-ray => $Lx \sim M^{(1.6 \pm 0.1)}$
- **★** scatter in mass-richness ~ 0.45 ± 0.09
- ★ beginning to explore covariance in Lx-Ngal

★ cosmological constraints

TABLE 4 Best Fit Model						
$Parameter^{a}$	maxBCG	${\rm maxBCG+WMAP5}^{b}$				
$\sigma_8 \Omega_m \ \langle \ln N_{200} M_1 angle \ \langle \ln N_{200} M_2 angle \ \sigma_{N_{200}} M_2 angle \ \sigma_{N_{200}} M \ eta$	$\begin{array}{c} 0.804 \pm 0.073 \\ 0.281 \pm 0.066 \\ 2.47 \pm 0.10 \\ 4.21 \pm 0.19 \\ 0.357 \pm 0.073 \\ 1.016 \pm 0.060 \end{array}$	$\begin{array}{c} 0.807 \pm 0.020 \\ 0.269 \pm 0.018 \\ 2.48 \pm 0.10 \\ 4.21 \pm 0.13 \\ 0.348 \pm 0.071 \\ 1.013 \pm 0.059 \end{array}$				

^aThe masses M_1 and M_2 are set to $1.3 \times 10^{14} M_{\odot}$ and $1.3 \times 10^{15} M_{\odot}$ respectively.

^bThese values are obtained by including the WAMP5 prior $\sigma_8(\Omega_m/0.25)^{-0.312} = 0.790 \pm 0.024$. See Section 4.3 for details.

Millennium Gas Simulations (MGS)

Millennium Gas Simulations



GADGET-2 resimulations of Millennium Sim volume

- 500 Mpc/h
- Ie9 gas+DM particles
- $m_p(DM) \sim 1.4e10 Msun$
- 25 kpc/h softening
- same cosmology as MS

physical treatments: GO: gravity only PH: preheated gas 200 keV-cm2 @z=4

MGS massive halo yield



 $M_{200} \ge 5eI3$ Msun/h:

halo space density from large N-body simulations



Tinker et al (2008)

22 N-body simulations with N ≥ 512^3

- 5% statisticalaccuracy in counts

similarity notexact in time (need*z*-factors)

see also: Sheth & Tormen 1999 Reed et al 2000 Jenkins et al 2001 Evrard et al 2002 Hu & Kravtsov 2003 Warren et al 2006

sensitivity of halo space density to baryon physics



Stanek et al 2009

- complex baryon physics shifts halo total mass (M₅₀₀)

maximal effects are >5%
statistical error of Tinker et
al (2008)

2 pairs of simulations

- o MGS-gravity only
- MGS-preheat
- Δ ART-gravity only
- ART-cool/star/feedback

MGS: z=0 scaling relations w/ different physical treatments



MGS: comparison to observations



MGS: evolution of scaling relation slope and intercept



MGS: covariance of multiple signals at fixed halo mass Stanek et al, 0910.1599



preheating gravity only

effective mass scatter using pairs of signals

$$\Sigma^{-2} = (1 - r^2)^{-1} (\sigma_{\mu 1}^{-2} + \sigma_{\mu 2}^{-2} - 2r\sigma_{\mu 1}^{-1}\sigma_{\mu 2}^{-1}).$$

TABLE 6 MASS SCATTER AT REDSHIFT ZERO ^a

Cluster Property	σ_{DM}	T_{sl}	f_{ICM}	Y	L	PH	GO
$\sigma_{DM} \ T_{sl} \ f_{ICM} \ Y \ L$	$- \\ 0.10 \\ 0.11 \\ 0.062 \\ 0.090$	$\begin{array}{c} 0.12 \\ - \\ 0.12 \\ 0.069 \\ 0.10 \end{array}$	$0.12 \\ 0.35 \\ - \\ 0.041 \\ 0.093 \\ - \\ 0.093 \\ - \\ 0.12 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.012 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.001 \\ - \\ 0.0003 \\ - \\ 0$	$0.075 \\ 0.050 \\ 0.054 \\ - \\ 0.066$	$0.12 \\ 0.26 \\ 0.21 \\ 0.056 \\ -$	$\begin{array}{c c} 0.12 \\ 0.12 \\ 0.28 \\ 0.069 \\ 0.11 \end{array}$	$\begin{array}{c} 0.12 \\ 0.38 \\ 0.12 \\ 0.075 \\ 0.26 \end{array}$

^a The redshift zero mass scatter for each pair of signals, with the results from the PH simulation in the lower, left-hand half, and the results from the GO simulation in the upper, right-hand half, as in Figure 11 The mass scatter for the individual signal is listed on the right-hand side of the table.

★ preheating offers good match to observed core-excised X-ray emission properties

★ halo mass is affected by baryon physics at ~10% level => number density at fixed mass shifts by ~20-30%; need more large volume simulations with gas physics!

★ preheating causes scale-dependent deviations from self-similar evolution in Y, Lx, T and ficm (few % at 10^{14.5} Msun/h)

- \star covariance in signal pairs generally positive and stable in z
- ★ pairing of ficm and Y may offer sensitive mass selection (4%)

Fisher forecasts

Fisher analysis of value of cluster counts and clustering

Cunha, Huterer Frieman, 0904.1589

$$\ln M^{
m bias}(M_{
m obs},z) = \ln M_0^{
m bias} + a_1 \ln(1+z)$$

$$+ a_2(\ln M_{\rm obs} - \ln M_{\rm pivot})$$
 (3)

$$\sigma_{\ln M}^{2}(M_{\text{obs}}, z) = \sigma_{0}^{2} + \sum_{i=1}^{3} b_{i} z^{i} + \sum_{i=1}^{3} c_{i} (\ln M_{\text{obs}} - \ln M_{\text{pivot}})^{i} \quad (4)$$





additional improvements from prior in Mobs proxy



further exploration into Mobs and Mass Function/Bias

Cunha et al (2009)

$$p(M_{\rm obs}|M) = \frac{1}{\sqrt{2\pi\sigma_{\ln M}^2}} \exp\left[-x^2(M_{\rm obs})\right],$$
 (11)

where

$$x(M_{\rm obs}) \equiv \frac{\ln M_{\rm obs} - \ln M - \ln M_{\rm bias}(M, z)}{\sqrt{2\sigma_{\ln M}(M, z)^2}}.$$
 (12)

We model systematic error in the mass proxy by introducing a redshift-dependent bias and variance

$$\ln M_{\rm bias}(z) = B_0 + B_1(1+z), \tag{13}$$

$$\sigma_{\ln M}^2(z) = \sigma_0^2 + \sum_{i=1}^3 s_i z^i, \qquad (14)$$

We write the space density of halos as

$$\frac{dn}{dM} = f(\sigma) \frac{\bar{\rho}_m}{M} \frac{d\ln \sigma^{-1}}{dM}$$
(15)

and adopt the Tinker parameterization of $f(\sigma)$ [?]

$$f(\sigma) = A\left[\left(\frac{\sigma}{b}\right)^{-a} + 1\right]e^{-c/\sigma^2}.$$
 (16)

Following [?], we allow the first three parameters of $f(\sigma)$ to vary with redshift, so that

$$A(z) = A_0 (1+z)^{A_z}$$
(17)

$$a(z) = a_0(1+z)^{a_x}$$
 (18)

$$b(z) = b_0 (1+z)^{-\alpha}$$
(19)

TABLE I: Fiducial constraints on cosmological parameters for perfectly known nuisance parameters

				Sharp priors		No priors	
Survey	$M_{ m th}[h^{-1}M_{\odot}]$	$N_{ m tot}$	σ_0	$\sigma(\Omega_{\rm DE})$	$\sigma(w)$	$\sigma(\Omega_{\rm DE})$	$\sigma(w)$
Fid.	$10^{14.2}$	8,400	0.2	0.010	0.050	0.91	2.19
1	$10^{14.2}$	16,400	0.5	0.0083	0.039	0.82	1.81
2	$10^{13.5}$	229,200	0.2	0.0025	0.011	0.098	0.23
3	$10^{13.5}$	287,200	0.5	0.0023	0.0097	0.22	0.35

sensitivity to Mobs and Mass Function/Bias priors



the (near) future...

Dark Energy Survey is approaching

An NSF/DOE-funded study of dark energy using four techniques
 I) Galaxy cluster surveys (with SPT)
 2) Galaxy angular power spectrum

- 3) Weak lensing/cosmic shear
 - 4) SN la distances

Two linked, multiband optical surveys 5000 deg² g r i z colors to ~24th mag Repeated observations of 40 deg²

Development and schedule Construction: 2007-2011

New 3 deg² camera on Blanco 4m, Cerro Tololo Data management system at NCSA Survey Operations: 2011-2016 510 nights of telescope time over 5 years

John Peoples, Director

Fermilab, U Illinois, U Chicago, LBNL, U Michigan CTIO/NOAO, Barcelona, UCL, Cambridge, Edinburgh

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