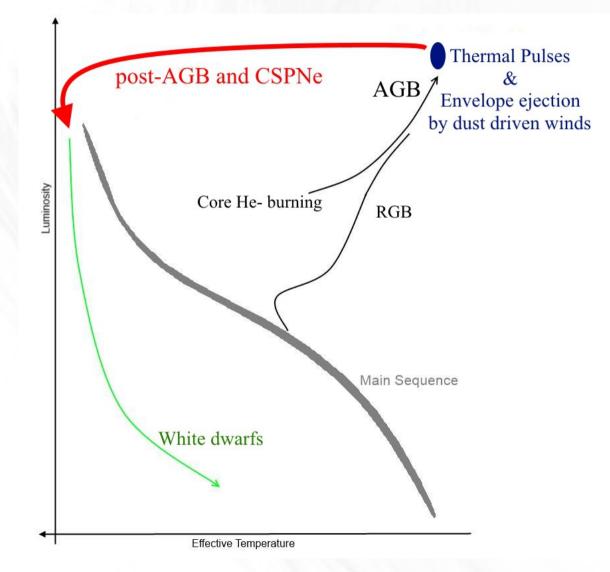
Post-AGB evolution of low and intermediate mass stars *preliminary results* 

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"Resolved and Unresolved Stellar Populations", 13th of October, 2014, ESO-Garching, Bayern, Germany.

### Introduction



### Motivation

Post-AGB stellar evolution models and time scales are required for a variety of studies, e.g.:

- Study the formation of PNe.
- Mass & Age determinations of CSPNe.

- To link PNe and CSPNe to their progenitors stars and learn about nucleosynthesis on the AGB.

- Compute their contribution to the UV flux of old stellar populations.

- Help us understand the PNLF, in particular the invariance of the cut-off brightness.

### Motivation (why new models?)

- Available post-AGB models (Vassiliadis & Wood 1994 and Bloecker 1995) are based on old microphysics. Particularly radiative opacities are **more than 40 years old**, and are expected to play a signifficant role in the timescales.
- Marigo (2002, also see Kitsikis 2008) showed that C-enriched molecular opacities strongly alter the effective temperatures of TP-AGB stars (*strong feedback on wind and mass loss*)
- There are indications that post-AGB timescales might be wrong:

-Vassiliadis & Wood (1994) and Bloecker (1995) timescales do not agree with each other.

- CSPNe mass-luminosity relation at variance with constraints from hydrodynamically consistent model atmospheres (Pauldrach et al. 2004)

-Consistency between masses of WD and CSPNe requires *faster* evolutionary speeds (Gesicki et al. 2014)

### This work:

- Compute post-AGB/CSPN models with updated physics and ,,realistic" previous evolution (i.e. in agreement with our current understanding)
  - Calibrate previous evolution to reproduce known observables.
  - Compute TP-AGB models that take into account the impact of C-rich composition on the molecular opacities.

- Use consistent sets of mass loss prescriptions for O-rich and C-rich stars.

- Test/calibrate models with two post-AGB observables: *Initial-Final Mass Relationship* and the *AGB intershell abundances* (assumed to be represented by those of PG1159 stars)

### The preliminary experimental set up:

- Calibration of the solar model with diffusion:  $\alpha_{MLT} = 1.825$
- Overshooting:
  - Calibration of the upper main sequence: f=0.0174, core convection

(equivalent to  $R_{_{OV}}=0.2 H_{_{P}}$ , with the given cut-off)

- Intershell abundances of PG1159 and  $M_{i}M_{f}$  relation:  $f\sim0.005$ , for the pulse driven convetion zone during TP-AGB.

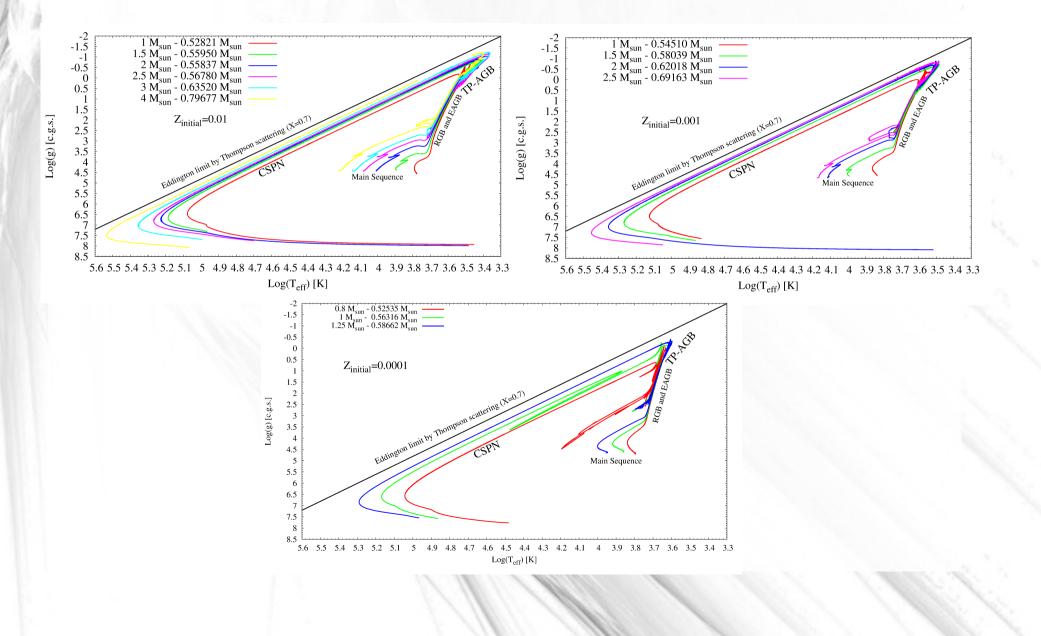
-  $f\sim 0.1$  at the base of the convective envelope (Lugaro et al. 2003, s-process)

- Updated mass loss prescriptions (including the transition to a C-rich AGB star):
  - Cold winds RGB/AGB: Schröder & Cuntz (2005)
  - Pulsation dust driven winds: C-rich stars Groenewegen et al. (1998)

O-rich stars Groenewegen et al. (2009)

- Hot wind from CSPN: based on Pauldrach et al (2004)

### The *preliminary* results: Z=0.01, 0.001, 0.0001



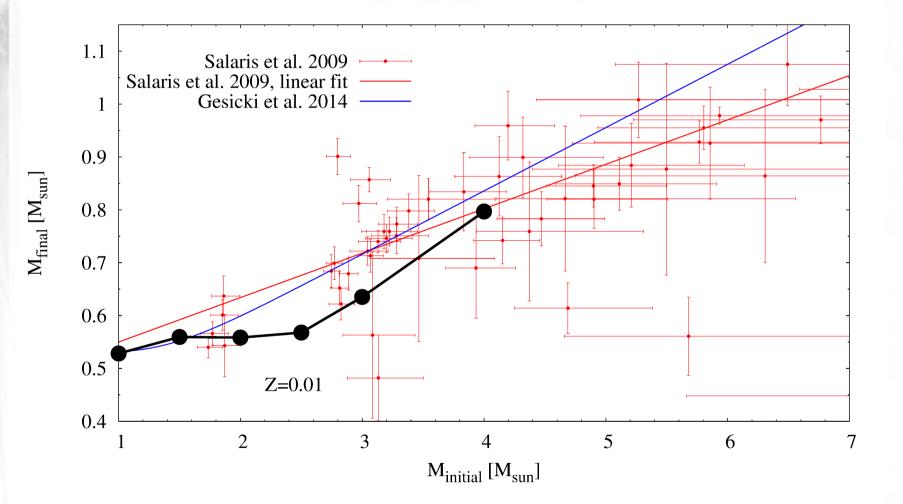
### Table: $Z_0 = 0.01$ sequences.

Initial Mass	Final Mass	#Thermal Pulses	Age at the end of $AGB^*$	Post-AGB Crossing time
1.00 M <sub>sun</sub>	0.52821 M <sub>sun</sub>	4	10511 Myr	22660 yr
1.50 M <sub>sun</sub>	0.55950 M <sub>sun</sub>	7	2585 Myr	5319 yr
$2.00 \ \mathrm{M_{sun}}$	0.55837 M <sub>sun</sub>	12	1208 Myr	2936 yr
$2.50 \ \mathrm{M_{sun}}$	0.56780M <sub>sun</sub>	11	721.4 Myr	1722 yr
3.00 M <sub>sun</sub>	0.63520 M <sub>sun</sub>	8	431.5 Myr	708 yr
$4.00 \ \mathrm{M_{sun}}$	0.79677 M <sub>sun</sub>	11	195 Myr	67 yr
5.00 M <sub>sun</sub>	$\sim 0.861 \ M_{sun}$	39	~110 Myr	-

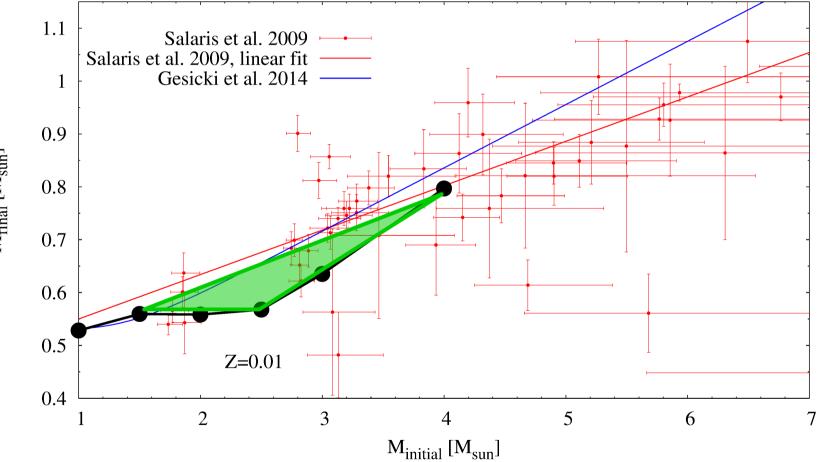
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### Test: Initial-Final Mass Relationship

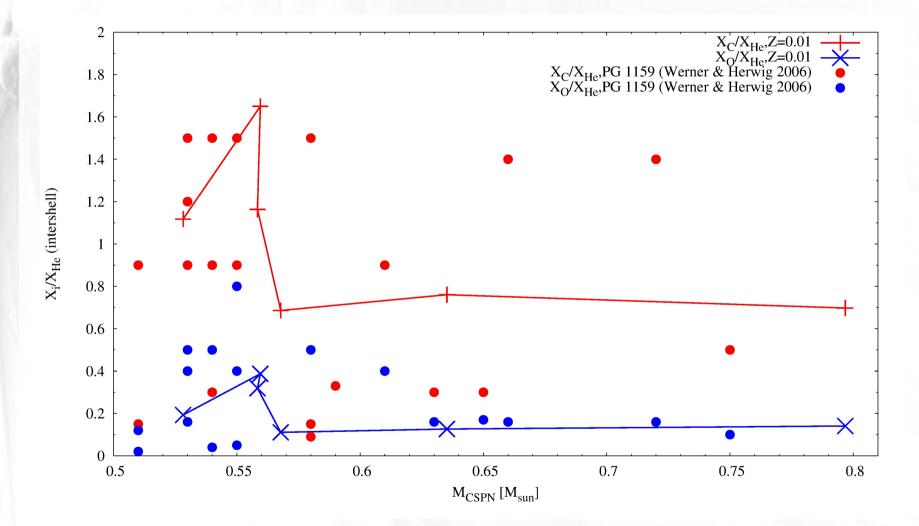


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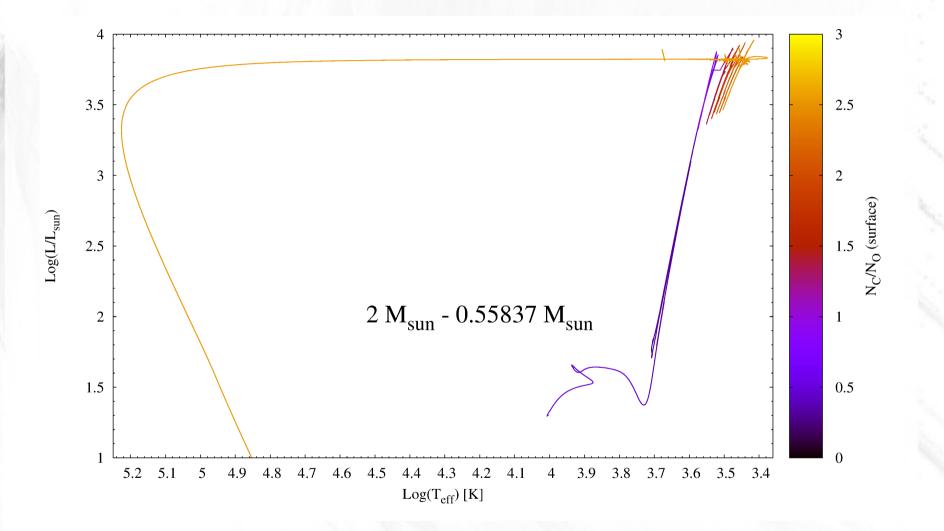


Mfinal [Msun]

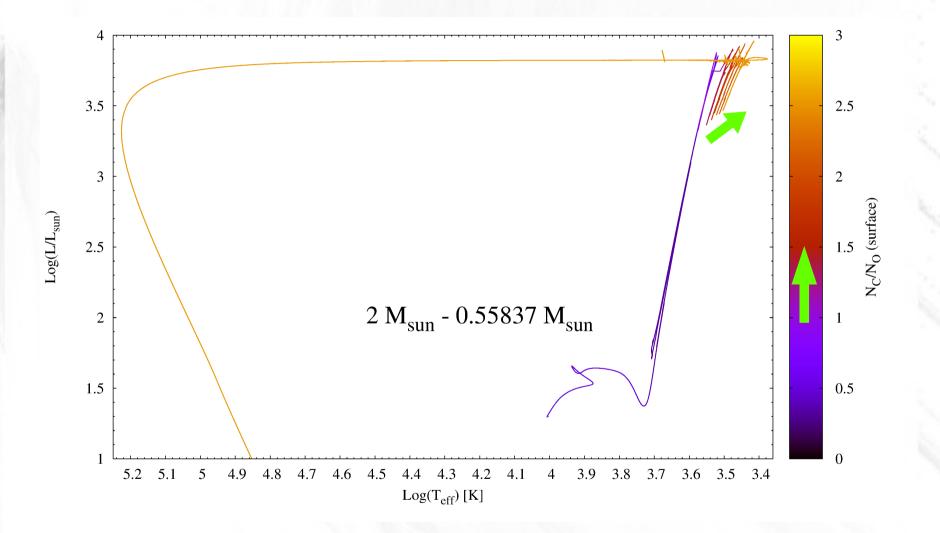
### Test: Intershell abundances of the post-AGB models



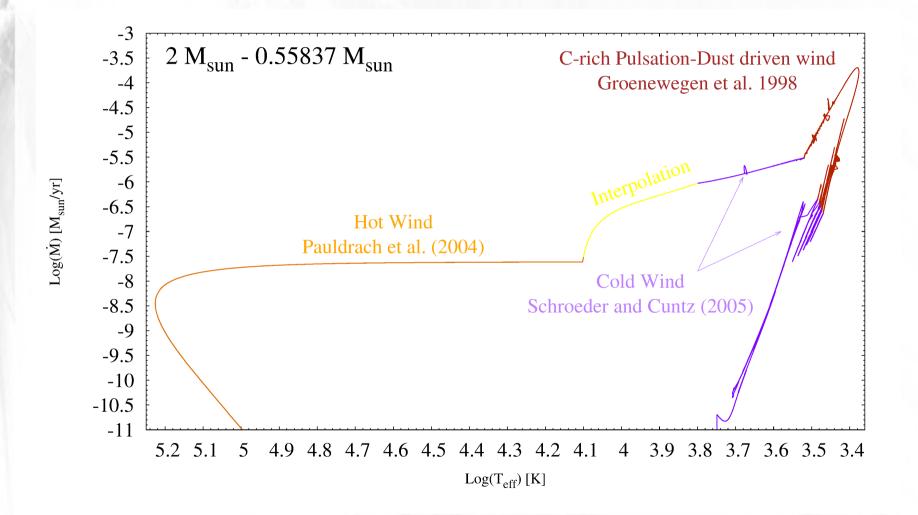
## Example: 2M<sub>sun</sub>, Z=0.01, HR-diagram & C/O ratio



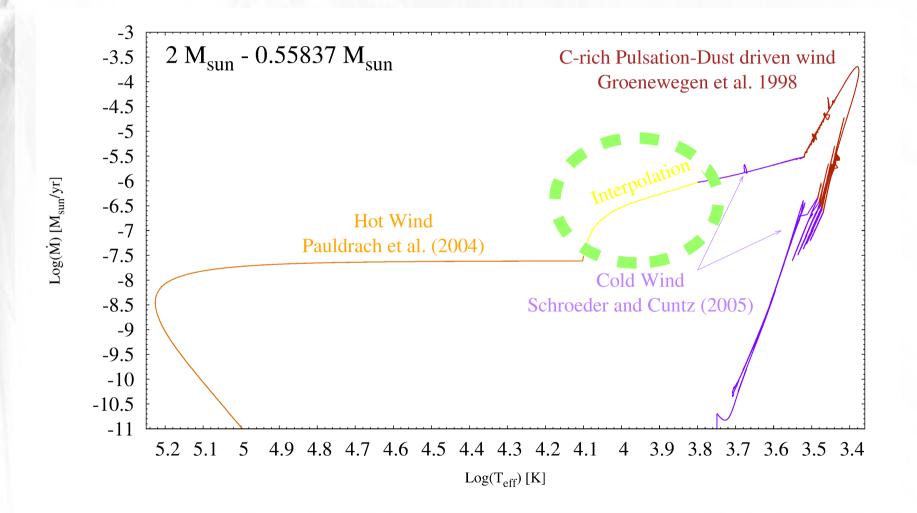
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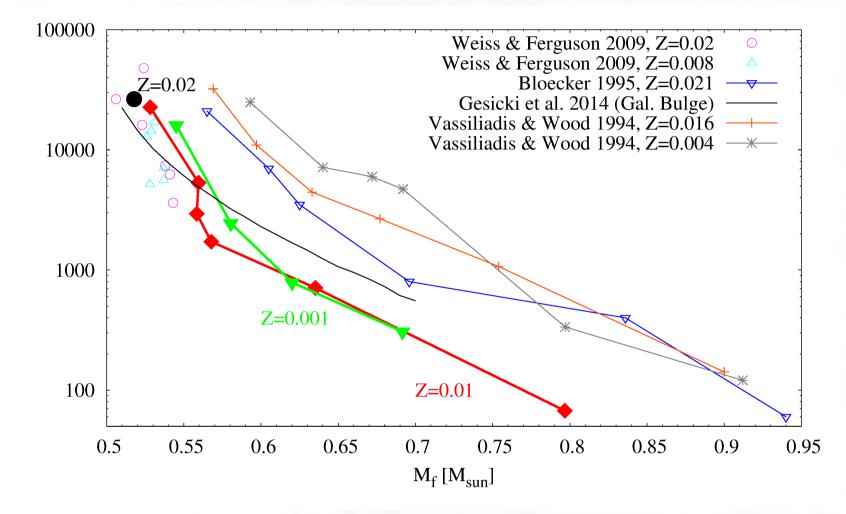


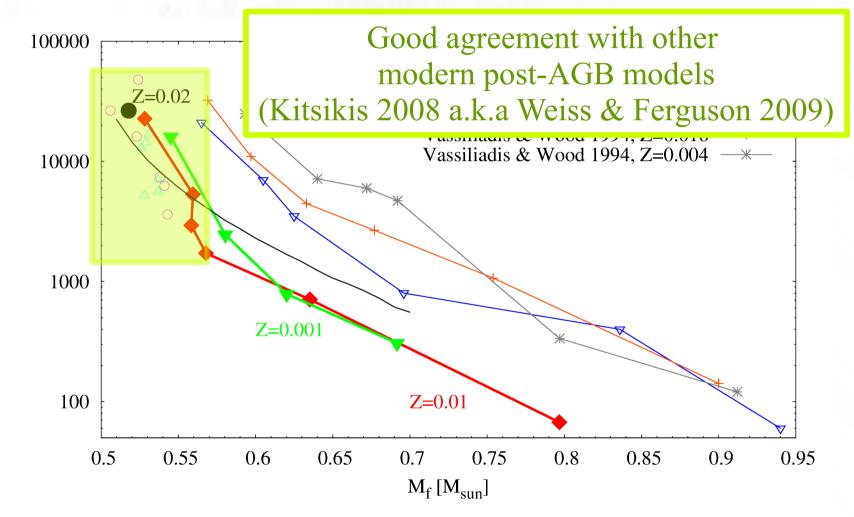
### Example: 2Msun, Z=0.01. Winds.

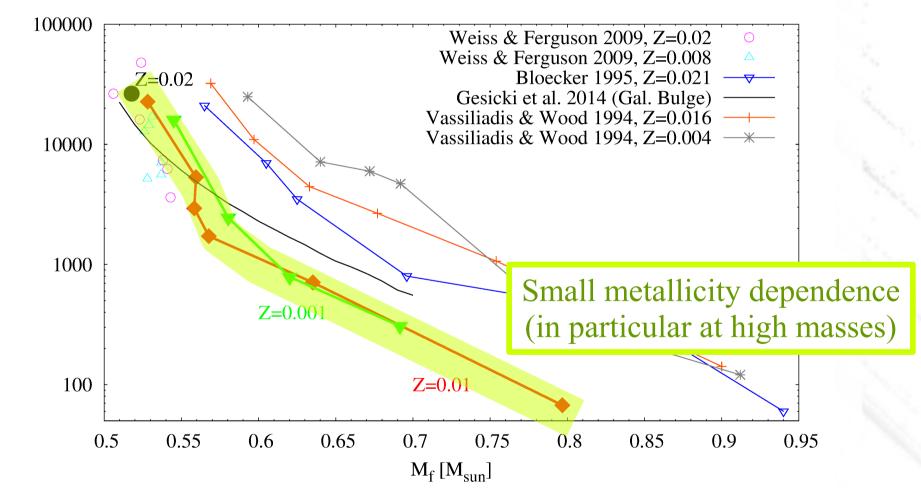


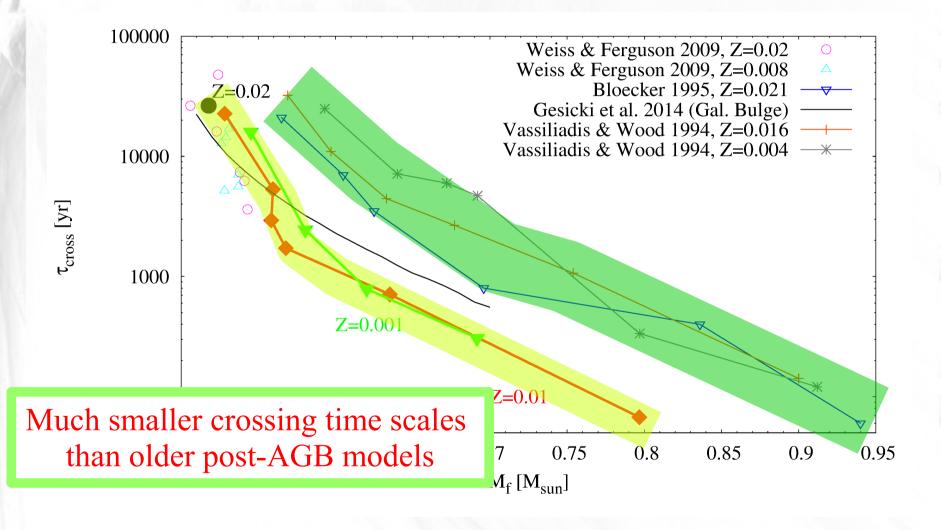
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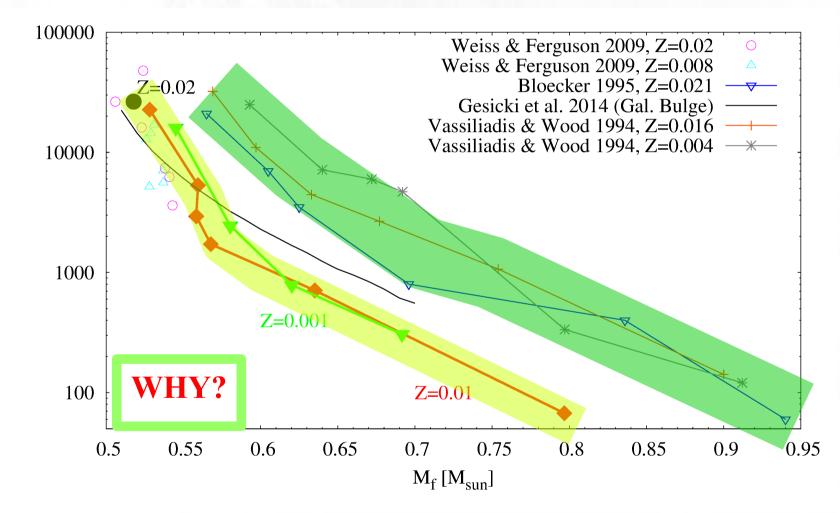




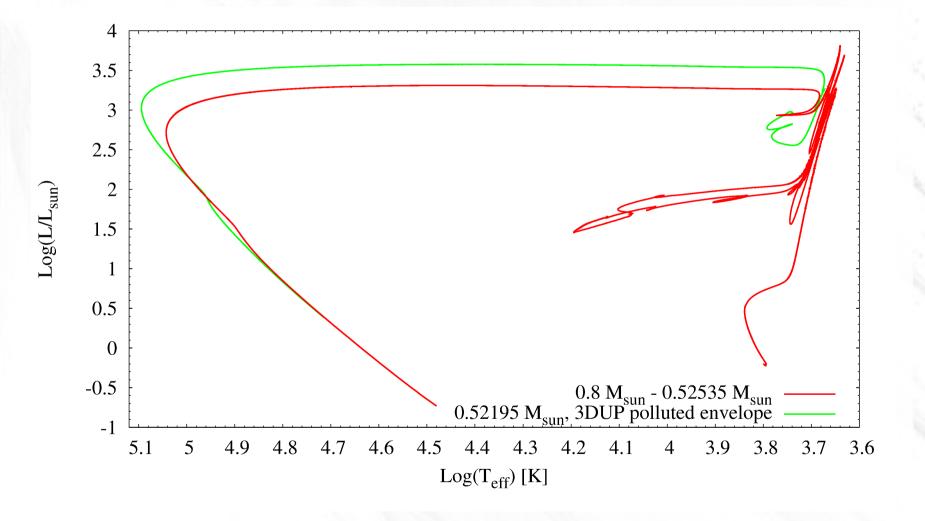




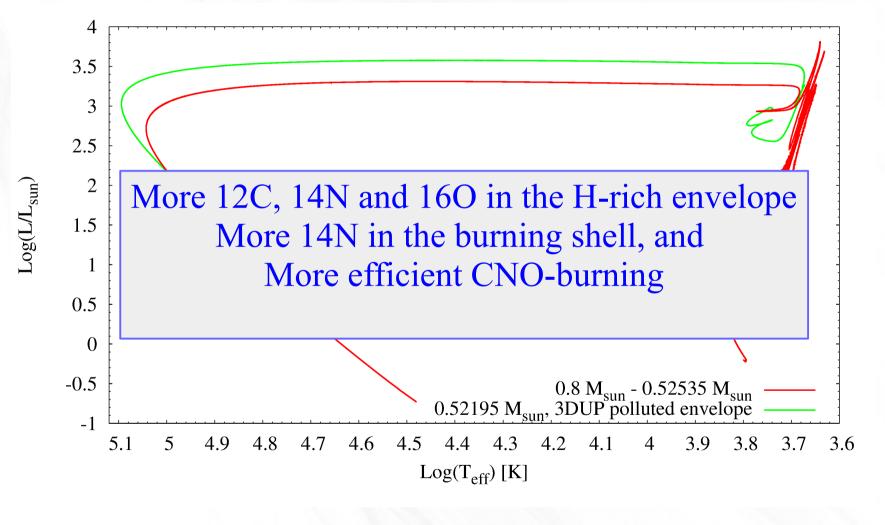




### Post-AGB timescale and third dredge up on the AGB

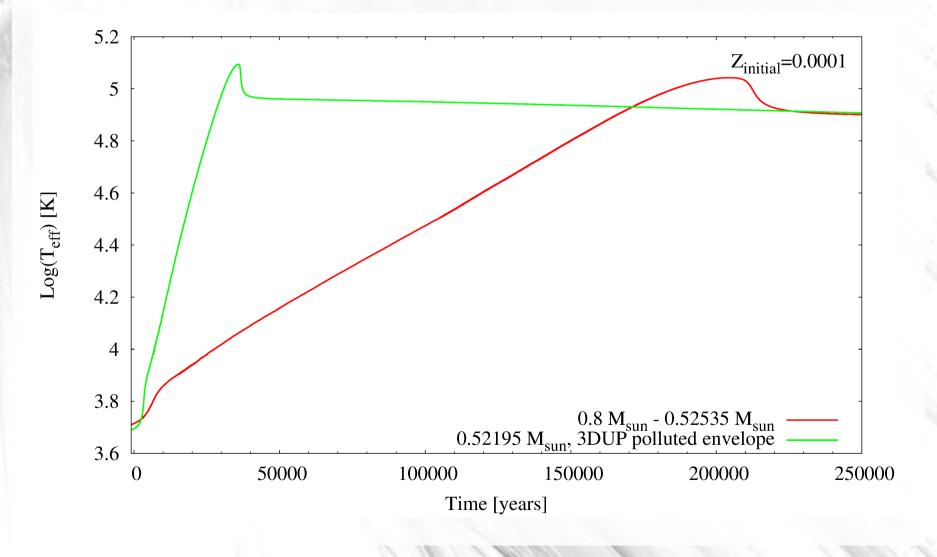


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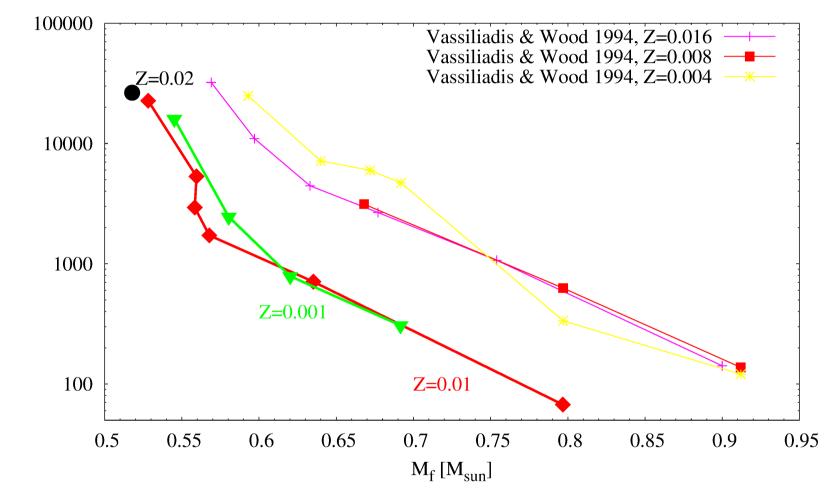


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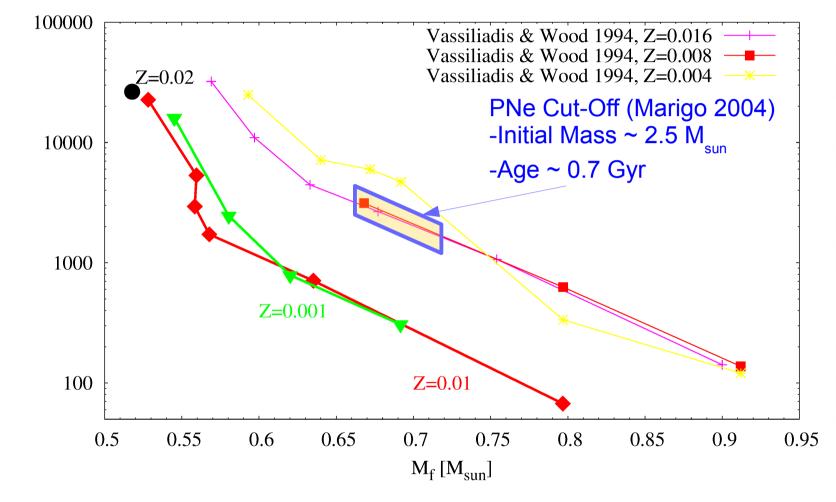
### 3<sup>rd</sup> Dredge Up on the AGB shortens post-AGB times



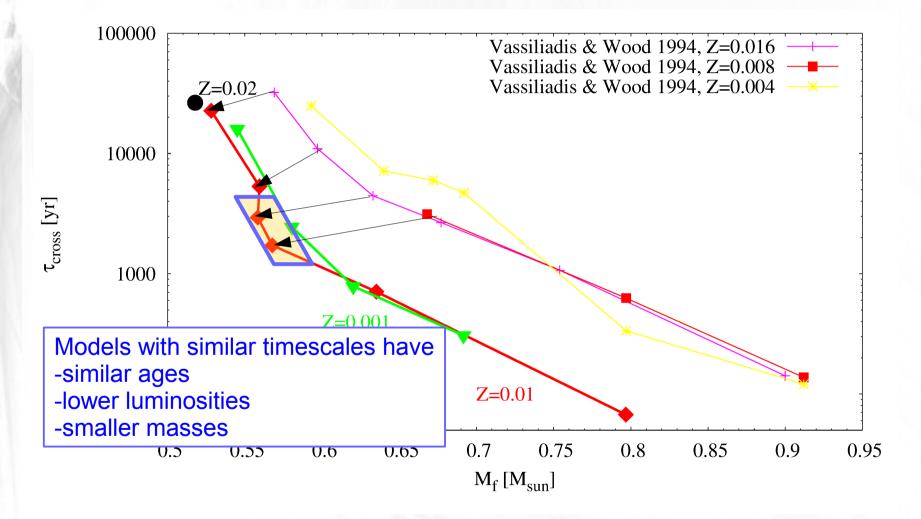
#### Looking back to the PNe Luminosity Function...



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### "Preliminary conclusions":

• Post-AGB tests/calibration:

- Comparison with semiempirical IFMRs indicates these models might have too much third dredge up for  $\sim 2M_{sun} \& Z=0.01$  models.

- PG1159 abundances are fairly well reproduced with  $f\sim 0.005$ 

- Modern stellar evolution simulations suggest that old models (Vassiliadis & Wood 1994 and Bloecker 1995) signifficantly overestimated the post-AGB crossing times. This is in agreement with the semiempirical determination by Gesicki et al. (2014, Galactic Bulge).
- *There is not* a very strong metallicity dependence in the predicted post-AGB times.
- ...But *there is a dependence* with the amount of CNO elements dredged up to the envelope during the AGB (particularly important at low metallicities)

## Thanks

and the

Table 1. Properties of the AGB and post-AGB (H-burning) stellar evolution models: metallicity (Z), initial mass ( $M_i$ ), final mass ( $M_f$ ), number of thermal pulses on the AGB ( $N_{\text{TP}}$ ), age of the model at the first thermal pulse ( $\tau_{1\text{TP}}$ ), length of the O-rich TP-AGB ( $\tau_O$ ), length of the C-rich TP-AGB ( $\tau_C$ ), the luminosity of the post-AGB remnant in the plateau phase ( $L_{\log T_{\text{eff}}=4}^{\text{post}-AGB}$ , taken at log  $T_{\text{eff}}=4$ ), and the crossing time ( $\tau_{\text{cross}}$ ) of the post-AGB remnant form log  $T_{\text{eff}}=4$  to the point of maximum effective temperature ("knee", see Fig. 1).

Ζ	$M_i$	$M_{f}$	NTP	$ au_{1\mathrm{TP}}$	$ au_O$	$\tau_C$	$L_{\log T_{\rm eff}=4}^{\rm post-AGB}$	$ au_{ m cross}$
	$[M_{\odot}]$	[M <sub>☉</sub> ]		[Myr]	[Kyr]	[Kyr]	$[L_{\odot}]$	[yr]
0.02	1.0	0.51781	3	11923	$626 \lesssim$	0	2966	26407
0.01	1.0	0.52821	4	10510	$728 \lesssim$	0	3396	22660
0.01	1.5	0.55950	7	2584	814	$260 \lesssim$	5674	5319
0.01	2.0	0.55837	12	1206	1513	$654 \lesssim$	6624	2936
0.01	2.5	0.56780	11	720	611	$1105 \lesssim$	7700	1722
0.01	3.0	0.63520	8	431	177	$345\lesssim$	10524	708
0.01	4.0	0.79677	11	195	28	$109 \lesssim$	18270	~ 67
0.001	1.0	0.54510	4	6594	625	$249\lesssim$	4477	15983
0.001	1.5	0.58039	7	1754	0	$1017\lesssim$	8100	2454
0.001	2.0	0.62018	10	797	82	$774\lesssim$	11434	787
0.001	2.5	0.69163	12	492	0	$570\lesssim$	14920	307

### This work:

• Computations done with **LPCODE** (La Plata's Stellar Evolution Code, Althaus et al. 2012 and references therein). *Upgraded for more numerical stability and checked for consistency with other stellar evolution codes on the WD and RGB phases.* 

- LPCODE uses updated OPAL2005 EOS for H or He rich regions, and a simplified EOS for other regimes in the pre-WD phase.

- Updated radiative opacities for high and low temperatures (Iglesias & Rogers 1996, Ferguson et al. 2005). Updated conductive opacities (Cassisi et al. 2007).

- C-rich molecular opacities (from Kitsikis 2008, a.k.a. Weiss & Ferguson 2009)

- Diffusive convective mixing with overshooting

 $D_{OV} = D_{CB} \times \exp[-2 \times |r - r_{CB}| / (H_P \times f)]$